## Addendum to Theorem 3.3 of

Characterizations of solution sets of cone-constrained convex programming problems

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• On page 1441, for the statement of Theorem 3.3(b), it is better to write the set S in the following way:

$$S = \left\{ x \in F \mid \lambda_a^T g(x) = 0, \ \partial L_a(a, \lambda_a) \bigcap \{ -A^T y \mid y \in \mathbb{R}^m \} \neq \emptyset \right\}.$$

Accordingly, the corresponding place in line 6 of page 1443 should be modified.

• On page 1442, from line -10 to line -3, the proof of Theorem 3.3(b) is revised a bit as below.

From "Moreover, we get ...... holds due to  $a, x \in S \subset F$ ."

should be "For any  $z \in \mathbb{R}^n$ , it follows that

$$L_{a}(z, \lambda_{a}) - L_{a}(a, \lambda_{a})$$

$$= L_{a}(z, \lambda_{a}) - L_{a}(x, \lambda_{a})$$

$$\geq -(A^{T}y)^{T}(z - x)$$

$$= -(A^{T}y)^{T}(z - a) - (A^{T}y)^{T}(a - x)$$

$$= -(A^{T}y)^{T}(z - a),$$

where the third equality holds due to  $a, x \in S \subset F$ ."