List of errata

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Positions are specified using number (n) of the article in my publication list (see the tab *Publications* on `https://math.ntnu.edu.tw/~menne`) along with its page (p), line (l), and, if applicable, column (c). All occurrences of the old text at each indicated position need to be replaced.

Position	Old text	Replacement
n 1		
p 257, l 7	$n = 2$	$n = 2$ and μ is integral
p 257, l 10	properties	properties of integral varifolds
n 2		
p 374, l 18+21	that	that $f(a) = g(a)$ and
p 375, l 13	$\operatorname{ap} Af(a)(v)$	$\operatorname{ap} Af(a)(a+v)$
p 376, l 6	$\operatorname{ap} Af(a)(v)$	$\operatorname{ap} Af(a)(a+v)$
p 377, l 13	for part (1)	for the case $q > 1$ of part (1)
p 377, l 14	part (2)	part (2); for the case $q = 1$ of part (1), see [Fed69, 4.5.9 (19)]
p 377, l 9	$\mathbb{1} Q_Q(\mathbb{R}^m)$	$\mathbb{1}_{Q_Q(\mathbb{R}^m)}$
p 391, l 18	2.4	3.4
p 391, l 18–20	2.11	3.11
p 391, l 20	2.2	3.2
p 391, l 21	2.12	3.12
p 403, l 16	).	) in case $q > 1$ and Malý and Pick [MP02, Theorem A] in case $q = 1$.

n 3		
p 6, l 2	$\phi_2(\varrho, \sigma_\varrho)$	$2^{-m}\phi_2(\varrho/4, \sigma_{\varrho/4})$
p 6, l 2	${}_{\varrho})$	${}_{\varrho/2})$
p 6, l 5	$\phi_2(\varrho, \sigma_\varrho)$	$2^{-m}\phi_2(\varrho/4, \sigma_{\varrho/4})$
p 11, l 24	that	that $f(a) = g(a)$ and
p 17, l 22	$X \cup Y$	$Y \cup Z$
p 18, l 17	T	S
p 20, l 3	gz	$g(z)$
p 21, l 10	$\mathbf{R}^n$	U
p 30, l 25	$\int_Z$	$\int_{Z \times \mathbf{G}(n,m)}$
p 43, l 13	$\mathscr{D}$	$\mathscr{D}'$
n 4		
p 719, l 21	that	that $f(a) = g(a)$ and
p 720, l 18	$\mathbf{R}^n$	$\mathrm{Nor}(M, a)$
p 737, l 17	$\mathscr{L}^n$	$\mathscr{L}^m$
p 724, l 4	2.8	2.1
p 728, l 13	$v_{a,\varrho}$	$v_{a,1}$
p 729, l 22	$\lvert \mathbf{D}^i(u - v_s) \rvert_{p;s,120h(s)}$	$\lvert \mathbf{D}^i(u - v_s) \rvert_{p;\xi(s),120h(s)}$
n 6		
p 988, l 20	$\mathbf{R}^n \sim U$	U
p 1003, l 18	$s^{-m-1}\varrho(s)$	$s^{-m-1}\varrho'(s)$
p 1030, l 20	as $i \to \infty$	
p 1032, l 11	$h \notin \mathbf{T}(V, \mathbf{R} \times \mathbf{R})$	$h \in \mathbf{T}(V, \mathbf{R} \times \mathbf{R})$
p 1032, l 13	$\mathbf{T}(V)$; hence	$\mathbf{T}(V)$, whence we infer that
p 1032, l 13	and	and that
p 1032, l 23	a vector space	closed with respect to addition
p 1032, l 26	$\varrho \circ f \notin \mathbf{W}(V, Y)$	$\varrho \circ f \notin \mathbf{W}(V, \mathbf{R})$
p 1033, l 29	$V\,\mathbf{D}(g_\varepsilon \circ f)(x) =$	
p 1047, l 12	f	f_N
p 1070, last line	$\mathbf{\Theta}^{m-1}$	$\mathbf{\Theta}^m$

p 1072, l 24	$\mathbf{R}^n \sim U$	U
p 1082, l 12	of	use of
p 1082, last line	page 8	page 984
p 1084, l 30	functions	function
n 7		
p 11, l 17	vectorspace	class
p 12, l 3	Orlicz space seminorm	subadditive function
p 17, l 24	$(\Vert V \Vert, m)$	$(\Vert V \Vert, m)$ approximately
p 16, l 18	and	and, for each normal vectorfield g of M in $\mathbf{R}^n$ of class 1,
p 17, l 24	$(\Vert V \Vert, m)$	$(\Vert V \Vert, m)$ approximately
p 28, l 15	seminorm	
p 28, l 28	seminorm	subadditive function
n 8		
p 2, l 44	< 1	$< \infty$
p 3, l 20	satisfies	satisfy
p 3, l 22	Radon	a Radon
p 7, end of l 33		We also let $\widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V,Y) = \mathbf{H}_q^{\mathrm{loc}}(V,Y) \cap \{f : \mathrm{dmn}\, f = U\}$.
p 8 l 1, 19; p 9, l 1, 3, 4; p 10, l 26, 29, 36, 41, 42; p 11, l 11, 34; p 27, l 9, 12, 14, 15, 16, 28, 29; p 28, l 5, 15, 34; p 39, l 31; p 42, l 28, 29, 32; p 43, l 15, 17, 21, 29, 38; p 44, l 2, 13, 25, 27, 29, 30, 37	$\mathbf{H}_q^{\mathrm{loc}}(V,Y)$	$\widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V,Y)$
p 8, l 1	$\mathbf{T}(V,Y)$	$\mathbf{T}(V,Y) \cap \{f : \mathrm{dmn}\, f = U\}$
p 8, after l 18		We also let $\widetilde{\mathbf{H}}_q(V,Y) = \mathbf{H}_q(V,Y) \cap \{f : \mathrm{dmn}\, f = U\}$.
p 8, end of l 27		We also let $\widetilde{\mathbf{H}}_q^{\diamond}(V,Y) = \mathbf{H}_q^{\diamond}(V,Y) \cap \{f : \mathrm{dmn}\, f = U\}$.
p 9 l 2	$\mathbf{H}_q^{\mathrm{loc}}(V,Y)$	$\widetilde{\mathbf{H}}_q(V,Y)$
p 9 l 2; p 29, l 34, 35; p 46, l 5, 6, 7, 18, 19, 23	$\mathbf{H}_q^{\diamond}(V,Y)$	$\widetilde{\mathbf{H}}_q^{\diamond}(V,Y)$

p 10, l 27	by	by, whenever $f \in \widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V, Y)$,
p 11, l 5, 11; p 29, l 1; p 39, l 30	$\mathbf{H}_q(V, Y)$	$\widetilde{\mathbf{H}}_q(V, Y)$
p 13, end of l 17		Whenever $1 \leq p \leq \infty$, μ measures X, and Y is a Banach space, we let $\widetilde{\widetilde{\mathbf{L}}}_p(\mu, Y) = \mathbf{L}_p(\mu, Y) \cap \{f : \operatorname{dmn} f = X\}$.
p 13, l 19	space $\mathbf{L}_p^{\mathrm{loc}}(\mu, Y)$	spaces $\mathbf{L}_p^{\mathrm{loc}}(\mu, Y)$ and $\widetilde{\mathbf{L}}_p^{\mathrm{loc}}(\mu, Y)$
p 13, l 20	space $\mathbf{H}_q^{\mathrm{loc}}(V, Y)$ and its	spaces $\mathbf{H}_q^{\mathrm{loc}}(V, Y)$ and $\widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V, Y)$ and their
p 13, l 22	space $\mathbf{H}_q(V, Y)$ and its subspace $\mathbf{H}_q^{\diamond}(V, Y)$	spaces $\mathbf{H}_q(V, Y)$ and $\widetilde{\mathbf{H}}_q(V, Y)$ and their subspaces $\mathbf{H}_q^{\diamond}(V, Y)$ and $\widetilde{\mathbf{H}}_q^{\diamond}(V, Y)$
p 15, l 2	$\mathbf{L}_q(\mu, Y)$	$\widetilde{\mathbf{L}}_q(\mu, Y)$
p 15, l 10	X	X,
p 15, l 11	vectorspace	class
p 15, l 13	$\mathbf{L}_p^{\mathrm{loc}}(\mu, Y)$ is	$\widetilde{\mathbf{L}}_p^{\mathrm{loc}}(\mu, Y) \cap \{f : \operatorname{dmn} f = X\}$ and, employing the canonical projection of $\mathbf{L}_p^{\mathrm{loc}}(\mu, Y)$ onto $\widetilde{\mathbf{L}}_p^{\mathrm{loc}}(\mu, Y)$, also $\mathbf{L}_p^{\mathrm{loc}}(\mu, Y)$ are
p 15, l 14, 18, 20, 30, 31	$\mathbf{L}_p^{\mathrm{loc}}(\mu, Y)$	$\widetilde{\mathbf{L}}_p^{\mathrm{loc}}(\mu, Y)$
p 15, l 15	.	and $\widetilde{\mathbf{L}}_p^{\mathrm{loc}}(\mu) = \widetilde{\mathbf{L}}_p^{\mathrm{loc}}(\mu, \mathbf{R})$.
p 15, l 19	$(\mu \llcorner K(i))_{(p)}$	$(\mu \llcorner K(i))_{(p)} \vert \widetilde{\mathbf{L}}_p^{\mathrm{loc}}(\mu, Y)$
p 25, last line	vectorspace	class
p 26, end of l 4		We also let $\widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V, Y) = \mathbf{H}_q^{\mathrm{loc}}(V, Y) \cap \{f : \operatorname{dmn} f = U\}$ and $\widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V) = \widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V, \mathbf{R})$.
p 27, l 8	$\mathbf{H}_q^{\mathrm{loc}}(V, Y)$ is	$\widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V, Y)$ and, employing the canonical projection of $\mathbf{H}_q^{\mathrm{loc}}(V, Y)$ onto $\widetilde{\mathbf{H}}_q^{\mathrm{loc}}(V, Y)$, also $\mathbf{H}_q^{\mathrm{loc}}(V, Y)$ are
p 28, l 2	$\mathbf{H}_q(V, \cdot)$	$\mathbf{H}_q(V, \cdot) \vert \{f : \operatorname{dmn} f = U\}$
p 28, end of l 14		We also let $\widetilde{\mathbf{H}}_q(V, Y) = \mathbf{H}_q(V, Y) \cap \{f : \operatorname{dmn} f = U\}$ and $\widetilde{\mathbf{H}}_q(V) = \widetilde{\mathbf{H}}_q(V, \mathbf{R})$.
p 28, l 18	vector	
p 43, l 15, 17, 29	$\mathbf{L}_\alpha^{\mathrm{loc}}(\lVert V \rVert, Y)$	$\widetilde{\mathbf{L}}_\alpha^{\mathrm{loc}}(\lVert V \rVert, Y)$
p 46, l 18	$\mathbf{L}_\alpha(\lVert V \rVert, Y)$	$\widetilde{\mathbf{L}}_\alpha(\lVert V \rVert, Y)$
p 46, l 19	$\mathbf{L}_\infty(\lVert V \rVert, Y)$	$\widetilde{\mathbf{L}}_\infty(\lVert V \rVert, Y)$

p 46, l 20	$\mathbf{L}_{mq/(m-q)}(\|V\|, Y)$	$\widetilde{\mathbf{L}}_{mq/(m-q)}(\|V\|, Y)$
p 44, l 25, 27; p 46, l 22	alternate	alternative
p 47, l 5	$\mathbf{L}_r(\mu, \mathbf{R}^n)$	$\widetilde{\mathbf{L}}_r(\mu, \mathbf{R}^n)$
p 49, l 2, 4, 5	$\mathbf{W}(V, \mathbf{R})$	$\widetilde{\mathbf{W}}(V, \mathbf{R})$
p 49, l 3	there	there, where $\widetilde{\mathbf{W}}(V, \mathbf{R}) = \mathbf{W}(V, \mathbf{R}) \cap \{f : \operatorname{dmn} f = U\}$,
n 9		
p 599, l 2	vectorspaces,	vectorspaces, $\dim X > 0$,
p 599, l 8	there	either $\dim X = 0$ or there
p 606, l 18	$\operatorname{Tan}(B, a)$	$\operatorname{Tan}(B, b)$
p 609, l 14	pt D	pt D^i
p 612, l 2–3	r^k	$r^{k+\alpha}$
p 612, l 14	$\operatorname{Clos} A$	$\operatorname{Clos} B$
n 10		
p 70, l 12	of the	of
n 11		
p 1185, l 8	convex sets, but is new even for	
p 1185, last line	[18,	[1,
p 1185, last line	[1,	[18,
p 1198, l 15	v4	v5
p 1198, l 36	Toipei	Taipei
n 12		
p 1149, c 2, l 23	called	
p 1150, c 1, l 46	real-valued	nonnegative
n 14		
p 341, l 1	$\boldsymbol{\nu}^i_{\mathbf{B}(0,1)}$	$\boldsymbol{\nu}^i_{\mathbf{B}(0,1)} \mid \mathscr{D}(\mathbf{R}^n, \mathbf{R})$
p 343, l 22	ϕX_j	$X_j \phi$
p 347, l 22	ν_j	$\boldsymbol{\nu}^j_{\mathbf{B}(0,1)} \mid \mathscr{D}(\mathbf{R}^n, \mathbf{R})$

References

[Fed69] Herbert Federer. *Geometric measure theory*. Die Grundlehren der mathematischen Wissenschaften, Band 153. Springer-Verlag New York Inc., New York, 1969. URL: `https://doi.org/10.1007/978-3-642-62010-2`.

[MP02] Jan Malý and Luboš Pick. An elementary proof of sharp Sobolev embeddings. *Proc. Amer. Math. Soc.*, 130(2):555–563 (electronic), 2002.

The wrong page number (n 6, p 1082, last line) occurs in the online version but not in the print version.

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